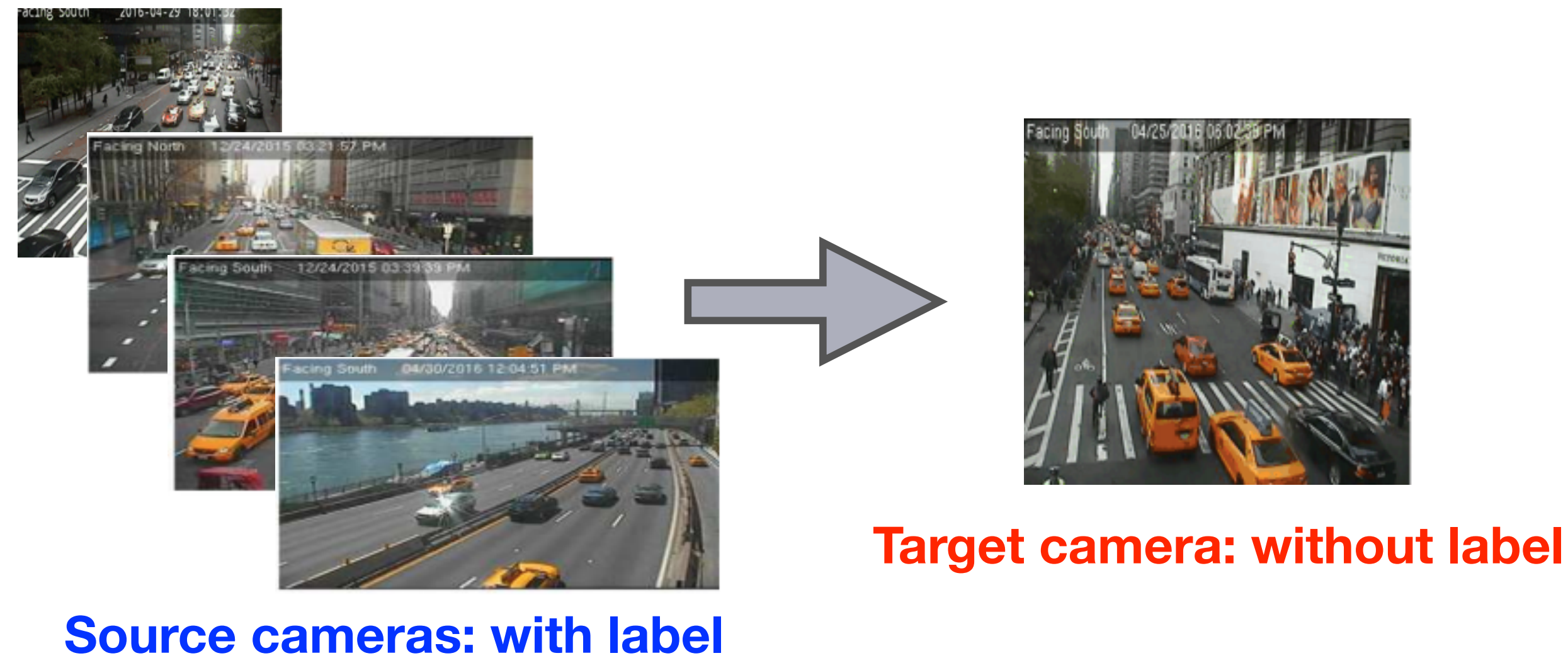


Summary

Unsupervised Domain adaptation: **Source** \neq **Target**



- We theoretically analyze the multiple source domain adaptation problem under both classification and regression settings.
- We propose two models using adversarial neural networks for multiple source domain adaptation.
- We conduct extensive experiments on sentiment analysis, digit recognition and vehicle counting problems, and we achieve superior adaptation performances on all the tasks.

Preliminary

Given hypothesis class \mathcal{H} and $\mathcal{A}_{\mathcal{H}} := \{h^{-1}(1) \mid h \in \mathcal{H}\}$, \mathcal{H} -divergence is: $d_{\mathcal{H}}(\mathcal{D}, \mathcal{D}') := 2 \sup_{A \in \mathcal{A}_{\mathcal{H}}} |\Pr_{\mathcal{D}}(A) - \Pr_{\mathcal{D}'}(A)|$. Generalization bound for single-source-single-target binary classification (Blitzer et al. NIPS' 08), using m instances, with probability $\geq 1 - \delta$, $\forall h \in \mathcal{H}$:

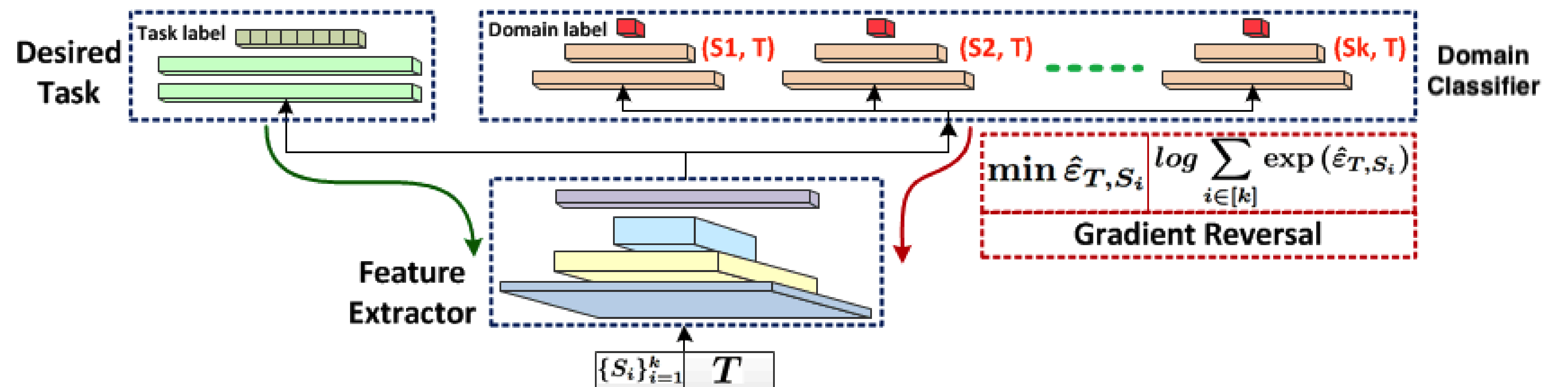
$$\varepsilon_T(h) \leq \hat{\varepsilon}_S(h) + \frac{1}{2} d_{\mathcal{H}\Delta\mathcal{H}}(\widehat{\mathcal{D}}_S, \widehat{\mathcal{D}}_T) + \lambda + O\left(\sqrt{\frac{d \log(m/d) + \log(1/\delta)}{m}}\right)$$

- $\hat{\varepsilon}_S(h)/\varepsilon_T(h)$: empirical/population source/target binary classification error.
- $d_{\mathcal{H}\Delta\mathcal{H}}(\widehat{\mathcal{D}}_S, \widehat{\mathcal{D}}_T)$: empirical $\mathcal{H}\Delta\mathcal{H}$ -divergence between source and target domains.
- $\lambda := \min_{h' \in \mathcal{H}} \varepsilon_S(h') + \varepsilon_T(h')$.

A naive extension to k source domains with union bound:

$$\varepsilon_T(h) \leq \max_{i \in [k]} \left\{ \hat{\varepsilon}_{S_i}(h) + \frac{1}{2} d_{\mathcal{H}\Delta\mathcal{H}}(\widehat{\mathcal{D}}_T; \widehat{\mathcal{D}}_{S_i}) + \lambda_i \right\} + O\left(\sqrt{\frac{1}{m} \left(\log \frac{k}{\delta} + d \log \frac{m}{d} \right)}\right)$$

Models and Algorithms



Theorem (informal): \mathcal{H} is a hypothesis class and $VC\dim(\mathcal{H}) = d/P\dim(\mathcal{H}) = d$. $\widehat{\mathcal{D}}_T$ and $\{\widehat{\mathcal{D}}_{S_i}\}_{i=1}^k$ are m samples generated from each domain. Define $\mathcal{H} := \{\mathbb{I}_{|h(x)-h'(x)|>t} : h, h' \in \mathcal{H}, 0 \leq t \leq 1\}$ to be the set of threshold functions. Then for $\forall \alpha \in \Delta^k$, for $\delta \in (0, 1)$, $\forall h \in \mathcal{H}$, w.p. $\geq 1 - \delta$:

Classification:

$$\varepsilon_T(h) \leq \sum_{i \in [k]} \alpha_i \left(\hat{\varepsilon}_{S_i}(h) + \frac{1}{2} d_{\mathcal{H}\Delta\mathcal{H}}(\widehat{\mathcal{D}}_T; \widehat{\mathcal{D}}_{S_i}) \right) + \lambda_{\alpha} + \tilde{O}\left(\sqrt{\frac{d \log(1/\delta)}{km}}\right),$$

Regression:

$$\varepsilon_T(h) \leq \sum_{i \in [k]} \alpha_i \left(\hat{\varepsilon}_{S_i}(h) + \frac{1}{2} d_{\mathcal{H}}(\widehat{\mathcal{D}}_T; \widehat{\mathcal{D}}_{S_i}) \right) + \lambda_{\alpha} + \tilde{O}\left(\sqrt{\frac{d \log(1/\delta)}{km}}\right)$$

Experiments

Datasets:



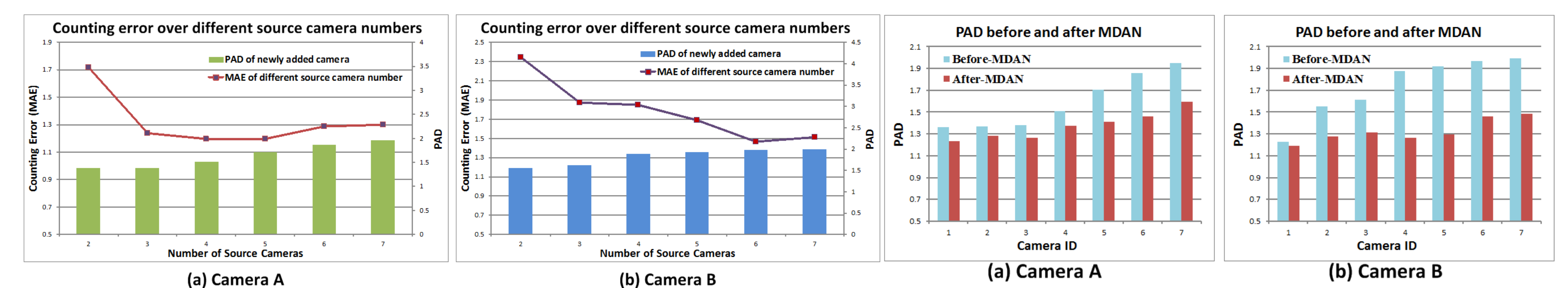
- WebCamT (Zhang et al, CVPR' 17), public dataset for vehicle counting. Image resolution: 352×240 .
- 8 cameras. 6 as sources and each of the rest two as target. 2,000 images for each domain.

Methods:

- FCN: Fully-convolutional NN, without domain adaptation.
- DANN: Combine all sources into one, with adversarial learning.

Table: Counting error statistics. S is the number of source cameras; T is the target camera id.

S	T	Ours				T	Ours			
		Hard-Max	Soft-Max	DANN	FCN		Hard-Max	Soft-Max	DANN	FCN
2	A	1.8101	1.7140	1.9490	1.9094	B	2.5059	2.3438	2.5218	2.6528
3	A	1.3276	1.2363	1.3683	1.5545	B	1.9092	1.8680	2.0122	2.4319
4	A	1.3868	1.1965	1.5520	1.5499	B	1.7375	1.8487	2.1856	2.2351
5	A	1.4021	1.1942	1.4156	1.7925	B	1.7758	1.6016	1.7228	2.0504
6	A	1.4359	1.2877	2.0298	1.7505	B	1.5912	1.4644	1.5484	2.2832
7	A	1.4381	1.2984	1.5426	1.7646	B	1.5989	1.5126	1.5397	1.7324



Reference

- Blitzer et al., *Learning bounds for domain adaptation*, NIPS 2010.
- Zhang et al., *Understanding traffic density from large-scale web camera data*, CVPR 2017.